Please check the examination details belo	ow before ente	ring your candidate information					
Candidate surname		Other names					
Centre Number Candidate Nu	umber						
Pearson Edexcel International GCSE							
<b>Time</b> 2 hours 30 minutes	Paper reference	4MB1/02					
Mathematics B PAPER 2							
<b>You must have:</b> Ruler graduated in composition protractor, pair of compasses, pen, HB Tracing paper may be used.							

#### **Instructions**

- Use **black** ink or ball-point pen.
- Fill in the boxes at the top of this page with your name, centre number and candidate number.
- Answer all questions.
- Answer the questions in the spaces provided
  - there may be more space than you need.
- Calculators may be used.

#### Information

- The total mark for this paper is 100.
- The marks for **each** question are shown in brackets
  - use this as a guide as to how much time to spend on each question.

#### **Advice**

- Read each question carefully before you start to answer it.
- Check your answers if you have time at the end.
- Without sufficient working, correct answers may be awarded no marks.

Turn over ▶





# **Answer ALL TWELVE questions.**

## Write your answers in the spaces provided.

	You must write down all the stages in your working.	
1	A car travels at an average speed of $60 \text{ km/h}$ for $2 \text{ hours}$ . It then travels at an average speed of $x \text{ km/h}$ for $3 \text{ hours}$ .	
	The car travels at an average speed of 64.2 km/h for the whole journey.	
	Calculate the value of <i>x</i>	
		(4)
	(Total for Question 1 is	4 marks)



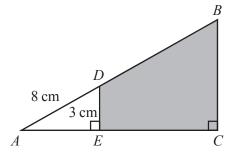


Diagram **NOT** accurately drawn

Figure 1

Figure 1 shows triangle ABC

The point D lies on AB and the point E lies on AC such that DE and BC are parallel.

$$AD = 8 \text{ cm}$$

$$DE = 3$$
cm

$$AE : EC = 1 : 2$$

$$\angle DEA = \angle BCA = 90^{\circ}$$

Calculate the area, in  $cm^2$  to 2 significant figures, of the region BCED shown shaded in the diagram.

(5)

Area of trapezium =  $\frac{1}{2}(a+b)h$ 

(Total for Question 2 is 5 marks)



(5)

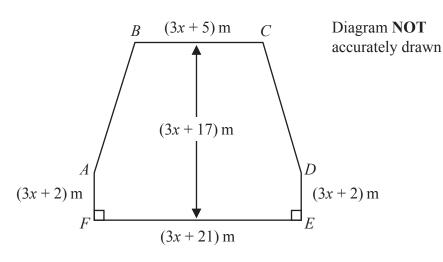


Figure 2

Figure 2 shows a hexagon ABCDEF in which

$$BC = (3x + 5)$$
 metres  $AF = DE = (3x + 2)$  metres  $FE = (3x + 21)$  metres

BC is parallel to FE and AB = DC

The perpendicular distance between BC and FE is (3x + 17) metres.

The perimeter of the hexagon ABCDEF is 172 metres.

Calculate the value of x




**(6)** 

Diagram NOT accurately drawn

3.8 cm

70°

C

Figure 3

Figure 3 shows a circle centre O and radius 3.8 cm

The points A and B lie on the circle.

The point C is such that AC and BC are tangents to the circle and  $\angle ACB = 70^{\circ}$ 

The region inside the quadrilateral OACB but outside the circle is shown shaded in Figure 3

Calculate the area	, in cm <sup>2</sup> to .	3 significant	figures,	of the shaded region.	



5	Solve	the	simultaneous	equations
J	DOLVE	uic	Simultancous	cquations

$$x + 5y = 7$$
$$x^2 + 3xy = 13$$

Show clear	algebraic	working.
------------	-----------	----------

(6)




Solutions of 
$$ax^2 + bx + c = 0$$
 are  $x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$ 



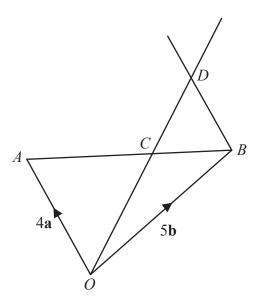


Diagram **NOT** accurately drawn

Figure 4

Figure 4 shows triangle *OAB* 

The point C lies on AB such that  $AC = \frac{3}{5}AB$ 

Given that  $\overrightarrow{OA} = 4\mathbf{a}$  and  $\overrightarrow{OB} = 5\mathbf{b}$ 

(a) find an expression for  $\overrightarrow{OC}$  in terms of **a** and **b** Give your answer in its simplest form.

(3)

The point D is such that OCD is a straight line.

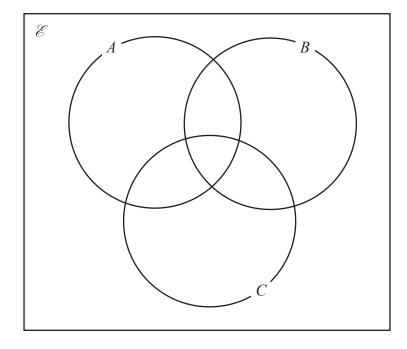
Given that BD is parallel to OA

(b) use a vector method to find an expression for  $\overrightarrow{OD}$  in terms of **a** and **b** Give your answer in its simplest form.

(4)



- 7  $\mathscr{E}$ = {odd numbers between 0 and 30}
  - $A = \{\text{multiples of 3}\}\$
  - $B = \{ prime numbers \}$
  - $C = \{ \text{factors of } 30 \}$
  - (a) Complete the Venn diagram for this information showing the position of each of the numbers in the universal set.



(3)

(b) Find (i)  $n([A \cup C] \cap B)$ 

(ii) 
$$n([B \cap C'] \cup A')$$

**(2)** 

A number is chosen at random from the universal set,  $\mathscr E$ 

(c) Write down the probability that the number is in the set  $C \cap A'$ 

(2)

Given that the number chosen from  $\mathscr{E}$  is a multiple of 3

(d) find the probability that the number is also a factor of 30

(2)



8 Aanshi makes granola.

She uses nuts, dried raspberries and oats in the ratios 2:3:7 by weight. Aanshi uses 80 grams of nuts.

(a) Work out the weight, in grams, of oats she uses to make the granola.

**(2)** 

Nuts cost \$26 for 500 grams.

(b) Work out the cost of the nuts used to make 270 grams of the granola.

(3)

**(5)** 

Aanshi is going to buy 500 grams of dried raspberries from one of the following online supermarkets.

### **US supermarket**

125 g dried raspberries \$30

#### Special offer

Buy 375 g get 125 g extra free

Postage \$5

### **UK supermarket**

50g dried raspberries

£3.70 plus Tax at 25%

Postage £20

Using an exchange rate of

$$\$1 = £0.71$$

(c) compare the cost, including postage, of 500 g of dried raspberries bought from the US supermarket with the cost of 500 g of dried raspberries bought from the UK supermarket.

State which supermarket is the cheaper when buying 500 g of dried raspberries. Show your working clearly.




	2				
	٩	P	á	pì	á
	4	D		à	в
	2	۹	×	я	,
		á	è	б	S
	d	r		7	
	ð	٩	è	и	,
				ζ	
	٩	ú	è	2	¥
		7	Z	3	۴
	À		Ē	'n	ú
		Z	Z	Ζ	
	q	Р	Ś	7	b
	A	ь	7	4	0
		₹	9	7	2
	٩	si	þ	ú	
					9
	١	á	É	ø	ρ
		7			
	Ä	Z	ē	Š	þ
>	4			5	Z
>	4			5	Z
	4			5	Z
	4			5	Z
	4			5	Z
					Z
					Z
					Z
					Z
					Z
>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>					

Question 8 continued	
	,
	,
	,
	,



G 13 cm K 12 cm H 20 cm

Diagram **NOT** accurately drawn

Figure 5

Figure 5 shows a solid right-angled triangular prism FGHIJK in which

 $FG = 13 \,\mathrm{cm}$ 

 $FH = 12 \,\mathrm{cm}$ 

 $IJ = 5 \,\mathrm{cm}$ 

 $HI = 20 \,\mathrm{cm}$ 

The faces FHIK and GHIJ of the prism are rectangles.

(a) Calculate the total surface area, in cm<sup>2</sup>, of the prism FGHIJK

(4)

(b) Calculate the size, in degrees to one decimal place, of  $\angle FJI$ 

(3)

A company makes door wedges the same size and shape as the triangular prism *FGHIJK* The company packs the door wedges into boxes that are in the shape of a cube of side 60 cm.

(c) Calculate the maximum number of door wedges that can fit into the box.

**(2)** 



Question 9 continued



10 A box contains 8 green counters and 2 white counters only.

Peter takes at random 2 counters from the box.

(a) Calculate the probability that Peter will take 1 green counter and 1 white counter.

(3)

A bag contains 28 blue beads and n red beads only.

Naasir selects a bead from the bag at random.

(b) Explain why the probability of the bead being red cannot be  $\frac{6}{11}$ 

(3)

Naasir keeps the first bead and selects a second bead at random from the bag.

The probability of both beads being different colours is  $\frac{1}{2}$ 

Given that there are fewer blue beads than red beads,

(c) calculate the probability that both beads are blue. Show clear algebraic working.

(5)

Solutions of  $ax^2 + bx + c = 0$  are  $x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$ 



Question 10 continued



11 The equation of a curve C is  $y = \frac{k}{x} + \frac{9}{x^2} + 1$  where k is a constant.

A minimum point on C occurs when x = -1.5

(a) Show that the value of k is 12

**(4)** 

(b) Complete the table of values for  $y = \frac{12}{x} + \frac{9}{x^2} + 1$ 

Give your values of y to 2 decimal places.

x	-6	-5	-4	-3	-2	-1	-0.8
у			-1.44	-2.00	-2.75	-2.00	

**(2)** 

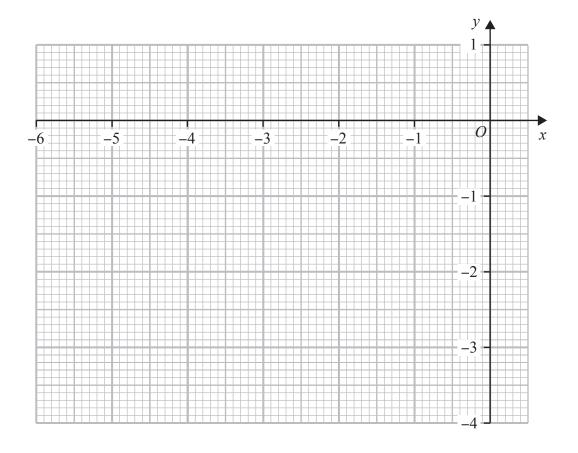
- (c) (i) On the grid opposite, plot the minimum point and the points from your completed table.
  - (ii) Join all the points to form a smooth curve.

(4)

(d) By drawing a suitable straight line on the grid, find the range of values, to one decimal place, of x in  $-6 \le x \le -0.8$ , for which

$$\frac{12}{x} + \frac{9}{x^2} + 1 \leqslant \frac{1}{2}x - 2 \tag{3}$$

## **Question 11 continued**



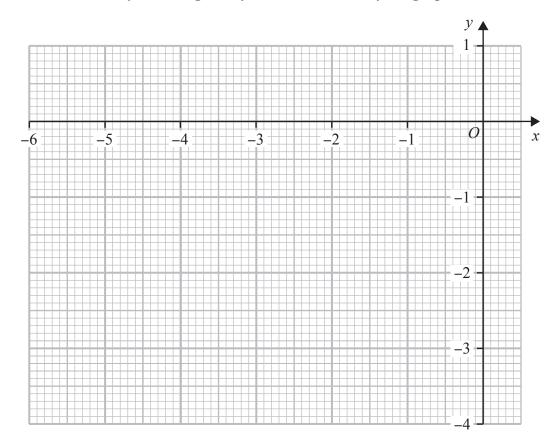
Turn over for a spare grid if you need to redraw your graph.



Question 11 continued

## **Question 11 continued**

Only use this grid if you need to redraw your graph.



(Total Question 11 is 13 marks)



12 The functions f and g are such that

$$f: x \mapsto 2x^2 - 4x + 1$$
 where  $x > 1$ 

$$g: x \mapsto \frac{20}{5+x}$$

(a) State the value of x that must be excluded from any domain of g

(1)

(b) Find the value of k such that g(k) = 8

(3)

(c) Find fg(-3)

**(2)** 

(d) Find the inverse of the function f in the form  $f^{-1}: x \mapsto ...$  Simplify your answer.

**(4)** 

The function h is defined for all values of x as

$$h: x \mapsto \frac{ax+b}{3}$$

where a and b are constants.

Given that

$$h(2) = 4$$

$$f^{-1}h(1.7) = 2.5$$

(e) find the value of *a* and the value of *b* Show clear algebraic working.

(5)

Solutions of 
$$ax^2 + bx + c = 0$$
 are  $x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$ 





Question 12 continued	
	(Total for Question 12 is 15 marks)
	TOTAL FOR DARED IS 100 MADES

